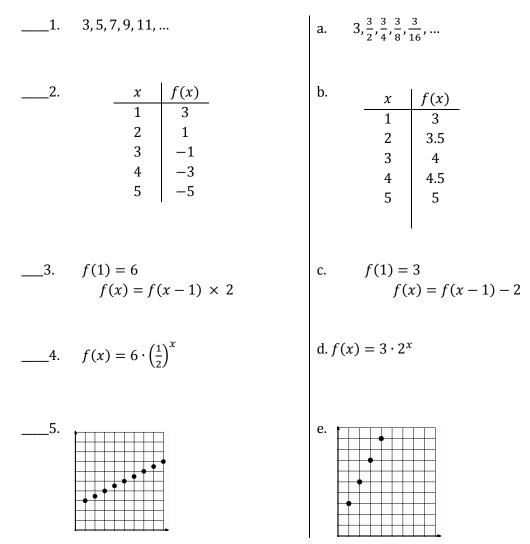
Math 1 Module 3 Practice Problems

Name_____

Match each item on the left with a *different representation* from the *same sequence* on the right.



6. What are the <u>recursive</u> and <u>explicit</u> functions that describes the sequence: 1, 5, 9, 13, 17, ...? Assume that 1 is the first term of the sequence.

7. What are the <u>recursive</u> and <u>explicit</u> functions that describes the sequence: $33, 11, \frac{11}{3}, \frac{11}{9}, \frac{11}{27}, \dots$? Assume that 33 is the first term of the sequence.

- 8. Which <u>recursive</u> function best matches the explicit function: f(x) = 3 2(x 1)?
 - a. f(1) = 3, f(x) = f(x-1) + 5b. f(1) = 1, f(x) = f(x-1) - 2c. f(1) = 3, f(x) = f(x-1) - 2d. $f(1) = 1, f(x) = f(x-1) \times -2$

9. Which explicit function best matches the recursive function f(1) = -4, f(x) = f(x - 1) + 4?

a. f(x) = -4 + 4(x - 1)b. f(x) = -4 + 4xc. f(x) = 4xd. f(x) = 4 - 4(x - 1)

10. Which sequence best matches the explicit function: $f(x) = 3 \cdot (-2)^x$

- a. 6, -12, 24, -48, 96b. -2, -6, -18, -54, -162c. -6, 12, -24, 48, -96d. $-\frac{3}{2}, -2, -18, -54$
- 11. Write the terms of the sequence represented by the equation f(x) = -4 + 3x

Term 1	Term 2	Term 3	Term 4	Term 5

12. What are the <u>recursive</u> and <u>explicit</u> functions that describes the sequence: 1, 2, 4, 8, 16, ...

13. Find the missing terms in each table (show all work for credit):

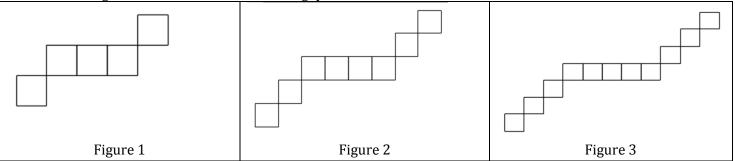
a. The sequence is arithmetic

X	1	2	3	4	5	6	7
<i>f(x)</i>	9						-9

b. The sequence is geometric

X	1	2	3	4	5	6
<i>f(x)</i>	4					972

14. Use the image below to answer the following questions.



Use the given information to state as much as possible about the sequence above. Your answer should include: type of sequence, the common difference or common ratio, a table of at least 5 terms, a graph, the recursive rule, and the explicit rule.

Type of Sequence:	X	f(x)			
Common difference/ratio:					
Recursive rule:	Graph (label and s	cale):			
Explicit rule:					
How many tiles are in figure 225?					

Challenge Problem: The equation below represents part of a recursive function that describes a sequence where f(x) represents the amount of money in Serena's account (in dollars) and x represents the number of weeks. If Serena has \$50 in her account during Week 3, how much money will Serena have on Week 13? f(x) = f(x-1) + 14